

Roman Ger

Errata for the paper: ``Almost approximately convex functions'

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Corrigendum to the paper

NATURAL BIJECTIONS BETWEEN DIRECTED  
AND UNDIRECTED SELF-COMPLEMENTARY GRAPHS

by Bohdan Zelinka (Math. Slovaca 37, 1987, 363—366).

On page 364, in the 2nd row from below, there should be  $u_{i-h_0}^{(6)}$  instead of  $u_0^{(6)} u_{i-h_0}^{(6)}$ .

Errata\*) for the paper

ALMOST APPROXIMATELY CONVEX FUNCTIONS

by Roman Ger (Math. Slovaca 38, 1988, 61—78.)

Page 61, line 3 up should read: open and convex

Page 63, line 4 should read:  $\min\{n \in \mathbb{N} \cup \{0\}\}$ :

Line 9 up should be omitted: is equal to something equals something

Page 64, line 18 should insert: shall say that  $\mathcal{A}_1$  and  $\mathcal{A}_2$  are conjugate provided that for each member  $M$  of  $\mathcal{A}_2$  there exists

Page 70, line 3. For  $f(x + 12^n h)$  read:  $f\left(x + \frac{1}{2^n} h\right)$

Line 5 should read: implies that

$$\inf_{h \in \Delta(x) \setminus W} \frac{f(x+h) + f(x-h)}{2} \leq f(x) + 2\varepsilon$$

Page 71, line 3. For  $[S(S(x_0) \cup W(x_0)) \setminus \setminus]$  read:  $[S(x_0) \cup W(x_0)]$

Line 5. For inf read: inf ess

Page 76, line 16 up should read:  $\Omega(\mathcal{A})$

Added in prof: The results presented in this paper were announced during the “Summer School on Real Functions” held in Dolné Orešany (Czechoslovakia) on May 24—29, 1982.

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\*) Editors are excusing for these misprints