

Petr Hájek

Bibliography of the Prague Seminar on Foundations of Set Theory - Part II

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BIBLIOGRAPHY OF THE PRAGUE SEMINAR ON FOUNDATIONS  
OF SET THEORY — PART II

PETR HÁJEK, Praha

Remark. Now, in 1973, the Prague seminar on foundations of set theory has existed for ten years. I use this opportunity to compile a continuation of the bibliography of the seminar contained in the paper cited below as [67].

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