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# Исправление к стате 'Матричный прием расчета колебаний стержневых систем'

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## SOME PROPERTIES OF THE FIELD OF OPERATORS

Jozef Eliaš

### Summary

In the paper [1] the field $T(K)$ of operators is defined as the quotiend-field over the ring $K$ of all complex-valued functions defined on the set of all non-negative integers. The addition and multiplication in $K$ is defined by formulae $a + b = \{a(n) + b(n)\}$ and $ab = \{\sum_{i=1}^{n} a(n-i)\, b(i-1)\}$ respectively (for every $a, b \in K$).

The following theorems are proved.

Every element $p \in T(K)$ can be written in the form $p = \sum_{i=\nu}^{\infty} a_i l^i$, where $l = \{1\}$, $\nu \gtrless 0$ is an integer, and $a_i$; $i = \nu, \nu + 1, \ldots$, are complex numbers, $a_\nu \neq 0$.

The operator $p$ belongs to $K$ if and only if $\nu \geq 0$.

The function $f = \sum_{i=1}^{\infty} a_i l^i$ can be written in the form $f = gh$, $g, h \in K$, if and only if $a_1 = 0$.

The field $T(K)$ is not algebraically closed [in fact it is proved that the equation $x^2 = l$ is not solvable in $T(K)$].

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Исправление к стате

## МАТРИЧНЫЙ ПРИЕМ РАСЧЕТА КОЛЕБАНИЙ СТЕРЖНЕВЫХ СИСТЕМ

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На стр. 192 тома 11 (1961), № 3, строка 9 снизу напечатано уравнение $y^{(IV)} - \lambda^4/l^4 = 0$. Вместо него должно быть

$$y^{(IV)} - \frac{\lambda^4}{l^4}\, y = 0.$$